CLASS-XI SUBJECT-PHYSICS

Chapter -2
Units and Measurement

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GIST OF THE CHAPTER AND FORMULAE USED

- ➤ Physical quantity
- > Fundamental and derived units
 - o S.I. units
 - Dimensions
- > Application of Dimensional Analysis
 - o Limitations of Dimensional Analysis
- > Rounding off
- > Significant Figures
- > Order of Magnitude
- > Errors of Measurement
- > Propagation of Errors.

❖ PHYSICAL QUANTITY

A quantity which can be measured and expressed in form of law is called a physical quantity.

Physical quantity (Q) = Magnitude x units = $n \times u$

Where

n= numerical value,

u= unit

As the unit (u) changes, magnitude (n) will also change but product 'nu' will remain same.

i.e. nu = constant, or $n_1u_1 = n_2u_2$

❖ S.I. system

It is known as international system of units. There are seven fundamental quantities in this system.

| Base Quantity | Unit | Symbol |
|---------------------------|----------|--------|
| Length | meter | M |
| Mass | kilogram | Kg |
| Time | second | s |
| Electric current | ampere | Α |
| Thermodynamic temperature | kelvin | K |
| Amount of substance | mole | mol |
| Luminous intensity | candela | cd |

❖ APPLICATION OF DIMENSIONAL ANALYSIS

- o To find the unit of a physical quantity in a given system of units.
- o To find dimensions of physical constant or coefficients
- o To convert a physical quantity from one system to the other system.
- To check the dimensional correctness of a given physical relation. This is based on the 'principle of homogeneity'. According to this principle the dimensions of each term on both sides of an equation must be same.
- o To derive new relations.

❖ LIMITATIONS OF DIMENSIONAL AYALYSIS.

- O Subtraction and addition of parameters cannot be reflected in dimensional analysis.
- O Dimensional analysis cannot confirm the validity of a relationship of the physical quantities.
- O It is impractical for the correlation of more than three parameters.
- O The dimensional analysis cannot determine the nature of the unknown physical quantities.
- O Data obtained from a large number of experiments may be undetermined.

❖ SIGNIFICANT FIGURES

Every measurement results in a number that includes reliable digits and uncertain digits. Reliable digits plus the first uncertain digit are called **significant digits or significant figure eg**. These indicate the precision of measurement which depends on least count of measuring instrument.

Rules for determining number of significant figures

- o All non-zero digits are significant.
- All zeros between two non-zero digits are significant irrespective of decimal place.

- For a value less than 1, zeroes after decimal and before non-zero digits are not significant. Zero before decimal place in such a number is always insignificant.
- o Trailing zeroes in a number without decimal place are insignificant.
- o Trailing zeroes in a number with decimal place are significant.

* RULES FOR ROUNDING OFF THE UNCERTAIN DIGITS.

- o Insignificant digit to be dropped is more than 5. Preceding digit is raised by 1.
- o Insignificant digit to be dropped is less than 5. Preceding digit is left unchanged.
- o Insignificant digit to be dropped is equal to 5. If preceding digit is even, it is left unchanged.
- o Insignificant digit to be dropped is equal to 5. If preceding digit is odd, it is raised by 1.

* Rules for determining uncertainty in results of arithmetic calculations

To calculate the uncertainty, below process should be used.

- O Add a lowest amount of uncertainty in the original numbers. Example uncertainty for 3.2 will be \pm 0.1 and for 3.22 will be \pm 0.01. Calculate these in percentage also.
- After the calculations, the uncertainties get multiplied/divided/added/subtracted.
- Round off the decimal place in the uncertainty to get the final uncertainty result.

Example, for a rectangle, if length l = 16.2 cm and breadth b = 10.1 cm

Then, take l = 16.2 \pm 0.1 cm or 16.2 cm \pm 0.6% and breadth = 10.1 \pm 0.1 cm or 10.1 cm \pm 1%.

On Multiplication, area = length x breadth = $163.62 \text{ cm}^2 \pm 1.6\%$ or $163.62 \pm 2.6 \text{ cm}^2$. Therefore after rounding off, area = $164 \pm 3 \text{ cm}^2$. Hence 3 cm^2 is the uncertainty or the error in estimation.

* RULES

- o For a set experimental data of 'n' significant figures, the result will be valid to 'n' significant figures or less (only in case of subtraction).
- The relative error of a value of number specified to significant figures depends not only on n but also on the number itself.
- Intermediate results in multi-step computation should be calculated to one more significant figure in every measurement than the number of digits in the least precise measurement.

***** ERRORS OF MEASUREMENT

Absolute Error: The magnitude of the difference between the true value of the quantity and the individual measurement value is called absolute error of the measurement. It is denoted by $|\Delta a|$ (or Mod of Delta a). The mod value is always positive even if Δa is negative. The individual errors are:

$$\Delta a_1 = a_{mean} - a_1$$
, $\Delta a_2 = a_{mean} - a_2$,, $\Delta a_n = a_{mean} - a_n$

o **Mean absolute error** is the arithmetic mean of all absolute errors. It is represented by Δa_{mean} .

$$\Delta a_{\text{mean}} = (|\Delta a_1| + |\Delta a_2| + |\Delta a_3| + \dots + |\Delta a_n|) / n =$$

For single measurement, the value of 'a' is always in the range $a_{\text{mean}} \pm \Delta a_{\text{mean}}$

So,
$$a = a_{\text{mean}} \pm \Delta a_{\text{mean}}$$
 Or $a_{\text{mean}} - \Delta a_{\text{mean}} < a < a_{\text{mean}} + \Delta a_{\text{mean}}$

 Relative Error: It is the ratio of mean absolute error to the mean value of the quantity measured.

Relative Error =
$$\Delta a_{\text{mean}} / a_{\text{mean}}$$

• **Percentage Error:** It is the relative error expressed in percentage. It is denoted by δa .

$$\delta a = (\Delta a_{\text{mean}} / a_{\text{mean}}) \times 100\%$$

❖ COMBINATION OF ERRORS

- If a quantity depends on two or more other quantities, the combination of errors in the two quantities helps to determine and predict the errors in the resultant quantity. There are several procedures for this.
- O Suppose two quantities A and B have values as $A \pm \Delta A$ and $B \pm \Delta B$. Z is the result and ΔZ is the error due to combination of A and B.

| Criteria | Sum or Difference | Product | Raised to Power |
|-----------------------|--|--|---------------------------------------|
| Resultant value Z | $Z = A \pm B$ | Z = AB | $Z = A^k$ |
| Result with error | $Z \pm \Delta Z = (A \pm \Delta A) + (B \pm \Delta B)$ | $Z \pm \Delta Z = (A \pm \Delta A)$ $(B \pm \Delta B)$ | $Z \pm \Delta Z = (A \pm \Delta A)^k$ |
| Resultant error range | $\pm \Delta Z = \pm \Delta A \pm \Delta B$ | $\Delta Z/Z = \Delta A/A \pm \Delta B/B$ | |
| Maximum error | $\Delta Z = \Delta A + \Delta B$ | $\Delta Z/Z = \Delta A/A + \Delta B/B$ | $\Delta Z/Z = k(\Delta A/A)$ |
| Error | Sum of absolute errors | Sum of relative errors | k times relative error |

MULTIPLE CHOICE QUESTIONS

| 1. | The base quantity an | nong the foll | lowing is | | | |
|-----|---|----------------|--------------------------------|---|------|--|
| | (1) Speed | | (2) Weight | | | |
| | (3) Length | | (4) Area | | | |
| 2. | Which of the following | ng is not a u | nit of time? | | | |
| | (1) Second | | (2) Minute | | | |
| | (3) Hour | | (4) Light year | | | |
| 3. | One astronomical un | it is a distan | ice equal to | | | |
| | (1) 9.46×10^{15} m | | (2) 1.496×10^{11} | m | | |
| | (3) $3 \times 10^8 \text{ m}$ | | (4) 3.08×10^{16} m | n | | |
| 4. | Ampere second is a u | ınit of | | | | |
| | (1) Current | | (2) Charge | | | |
| | (3) Energy | | (4) Power | | | |
| 5. | The most precise reading of the mass of an object, among the following is | | | | | |
| | (1) 20 g | O | (2) 20.0 g | | | |
| | (3) 20.01 g | | $(4) 20 \times 10^0 \text{ g}$ | | | |
| 6. | The most accurate reading of the length of a 6.28 cm long fibre is | | | | | |
| | (1) 6 cm | | (2) 6.5 cm | | | |
| | (3) 5.99 cm | | (4) 6.0 cm | | | |
| 7. | Which of the following | ng is a unit t | hat of force? | | | |
| | (1) N m | | (2) N | | | |
| | (3) N/m | | (4) N s | | | |
| 8. | The number of signif | ficant figure | s in a pure numbe | er 410 is | | |
| | (1) Two | | (2) Three | | | |
| | (3) One | | (4) Infinite | | | |
| 9. | Thickness of a pencil out to be 0.802 cm. T | | | auge (least count .001 cm) c assurement is | omes | |
| | (1) 0.125% | | (2) 2.43% | | | |
| | (3) 4.12% | | (4) 2.14% | | | |
| 10. | | | | of a cube is 0.027. The relati | ive | |
| | error in the measure | ment of its v | volume is | | | |
| | (1) 0.027 | (2) 0.054 | (3) 0.081 | (4) 0.046 | | |
| | | | | | | |

| 11. Zei | ro error in an instrumer | nt introduces |
|-------------------|--|---|
| (1) | Systematic error | (2) Random error |
| (3) | Least count error | (4) Personal error |
| _ | packet contains silver poss $5.75 \text{ g} \pm 0.01 \text{ g}$ is | owder of mass 20.23 g \pm 0.01 g. Some of the powder of |
| tak | en out from it. The mas | s of the powder left back is |
| (1) | $14.48 \text{ g} \pm 0.00 \text{ g}$ | (2) 14.48 ± 0.02 g |
| (3) | $14.5 \text{ g} \pm 0.1 \text{ g}$ | (4) $14.5 g \pm 0.2 g$ |
| | | ses 1.6 g, 7.32 g and 4.238 g, addressed upto proper |
| | cimal places is | (2) 13 2 ~ |
| ` ' | 13.158 g | (2) 13.2 g |
| (3) | 13.16 g | (4) 13.15 g |
| | e can reduce random eri | · · |
| ` ' | Taking large number of o | observations |
| ` ′ | Corrected zero error | |
| | By following proper tech | nnique of experiment |
| (4) | Both (1) & (3) | |
| 15. Th | e number of significant | figures in the measured value 0.0204 is |
| (1) | Five | (2) Three |
| (3) | Four | (4) Two |
| 16. The nu | ımber of significant figu | res in the measured value 26000 is |
| (1) Fiv | | (2) Two |
| (3) Thr | ree | (4) Infinite |
| 17. The nu | ımber of significant zero | oes present in the measured value 0.020040, is |
| (1) Fiv | e | (2) Two |
| (3) One | e | (4) Three |
| | _ | ires in the measured value 4.700 m is the same as that in |
| the val | | (2) 0 0 4 7 |
| (1) 470 | | (2) 0.047 m |
| (3) 407 | 70 m | (4) 470.0 m |
| | lculated value 2.7465 g officant digits in it are | contains only three significant figures, the two |
| (1) 2 aı | | (2) 7 and 4 |
| (3) 6 aı | | (4) 4 and 6 |
| ` / | | |

| 20. | Round off the value 2.845 to three s | significant figures. |
|-----|--|---|
| | (1) 2.85 | (2) 2.84 |
| | (3) 2.80 | (4) 2.83 |
| 21. | A length 5.997 m rounded off to thr (1) 6.00 m (3) 5.95 m | ree significant figures is written as (2) 5.99 m (4) 5.90 m |
| | The order of the magnitude of speed (1) 16 (3) 4 | d of light in SI unit is (2) 8 (4) 7 |
| | The values of a number of quantities that should be most precise and acc (1) Having smallest magnitude (3) Used in the numerator | |
| 24. | The dimensional formula for energy (1) [MLT–2] (3) [M–1L2T] | y is (2) [ML2T-2] (4) [M L2 T] |
| 25. | The pair of the quantities having sa (1) Displacement, velocity (3) Wavelength, focal length | (2) Time, frequency |
| 26. | The uncertain digit in the measurer | nent of a length reported as 41.68 cm is |
| | (1) 4 | (2) 1 |
| | (3) 6 | (4) 8 |
| 27. | We can reduce random errors by (1) Taking large number of observa (2) Corrected zero error (3) By following proper technique of (4) Both (1) & (3) | |
| 28. | The number of significant figures in (1) Five (3) Four | n the measured value 0.0204 is (2) Three (4) Two |
| | The number of significant figures in (1) Five (3) Three | n the measured value 26000 is (2) Two (4) Infinite |
| 30. | The number of significant zeroes pr (1) Five (2) Two | resent in the measured value 0.020040 , is (3) One (4) Three |

| 31. | The number of significant figures in the measured value 4.700 m is the same as that in the value | | | | | | |
|-----|--|--|---------------|--|--|--|--|
| | (1) 4700 m | (2) 0.047 m | | | | | |
| | (3) 4070 m | (4) 470.0 m | | | | | |
| | (6) 10/0 111 | (1) 1.7010 111 | | | | | |
| 32. | If a calculated value 2.7465 g contains | only three significant figu | ires, the two | | | | |
| | insignificant digits in it are | | | | | | |
| | (1) 2 and 7 | (2) 7 and 4 | | | | | |
| | (3) 6 and 5 | (4) 4 and 6 | | | | | |
| 33. | A cube has a side of length 1.2×10⁻²m. Ca (1) 1.7 x 10 ⁻⁶ m ³ (3) 1.70 x 10 ⁻⁶ m ³ | lculate its volume. (2) 1.73 x 10 ⁻⁶ m ³ (4) 1.732 x 10 ⁻⁶ m ³ | | | | | |
| | 34. In a screw gauge, the zero of main fifth division of circular scale in fig division of screw gauge are 50. It is scale in one rotation. The diameter (ii) is: (1) 2.25 mm | gure (i). The circular noves 0.5mm on main | Figure (i) | | | | |
| | (3) 1.20 mm | (4) 1.25 mm | Figure (ii) | | | | |
| 35. | Which of the following is not a derived (1) Tension in a string (2) van der Waal forces (3) Nuclear force between proton-proton (4) Electrostatic force between proton-p | 1 | | | | | |
| 36. | Which one of the following does not ex | xperience strong nuclear f | force? | | | | |
| | (1) Leptons | (2) Baryons | | | | | |
| | (3) Hadrons | (4) Proton | | | | | |
| 37. | Which pair do not have equal dimension (1) Energy and torque (3) Angular momentum and Planck's co (4) Elastic modulus and pressure | (2) Force and impulse | | | | | |
| 38. | The dimensions of Planck's constant (1) Energy (3) Angular momentum | equals to that of (2) Momentum (4) Power | | | | | |

| 39. | The unit of length, velocity and force are doubled. Which of the following is the correct change in the other units? | | | | |
|-----|--|---|--|--|--|
| | (1) Unit of time is doubled | (2) Unit of mass is doubled | | | |
| | (3) Unit of momentum is doubled | (4) Unit of energy is doubled | | | |
| 40. | Even if a physical quantity depends | s upon three quantities, out of which two are | | | |
| | dimensionally same, then the | | | | |
| | formula cannot be derived by the n | nethod of dimensions. This statement | | | |
| | (1) May be true | (2) May be false | | | |
| | (3) Must be true | (4) Must be false | | | |
| 41. | Light year is a unit of | | | | |
| | (1) time | (2) distance | | | |
| | (3) sunlight intensity | (4) mass | | | |
| 42. | The dimensional formula for Planc | k's constant is | | | |
| | (1) [MLT] | (2) [ML2T-1] | | | |
| | (3) [M2L2T-1] | (4) [ML1T-1] | | | |
| 43. | The surface tension of a liquid is 70 | dyne/cm. In MKS system its value is? | | | |
| | (1) 70 N/m | (2) $7 \times 10^{-2} \text{ N/m}$ | | | |
| | (3) $7 \times 10^2 \text{ N/m}$ | (4) $7 \times 10^3 \text{ N/m}$ | | | |
| 44. | The dimensions of Kinetic energy is | s same as that of | | | |
| | (1) Force | (2) Pressure | | | |
| | (3) Work | (4) Momentum | | | |
| 45. | At 4° C, the density of water is equa | al to | | | |
| | (1) 10-3 kg m-3 | (2) 10-2 kg m-3 | | | |
| | (3) 10 kg m-3 | (4) 103 kg m-3 | | | |
| 46. | One watt hour contains how many | joules? | | | |
| | (1) $3.6 \times 10^8 \mathrm{J}$ | (2) $3.6 \times 10^2 \mathrm{J}$ | | | |
| | (3) $3.6 \times 10^3 \mathrm{J}$ | $(4) 10^{-3} J$ | | | |

| 17 | Which | of the fo | llowing | naire | hac the | como | dimor | aciona | ,9 |
|-----|---------|-----------|---------|-------|---------|------|-------|--------|----|
| 4/. | vv nich | or the ro | HOWINS | Dairs | nas tne | same | aimei | asions | ٠. |

- (1) Specific Heat and Latent Heat
- (2) Impulse and Momentum
- (3) Surface Tension and Force
- (4) Moment of Inertia and Torque

48. The equation of state of some gases can be expressed as Vander wal equation i.e.

$$(\mathbf{P} + \mathbf{a}/\mathbf{V}^2)(\mathbf{V} - \mathbf{b}) = \mathbf{R}\mathbf{T}$$

Where P is the pressure, V is the volume, T is the absolute temperature and a, b, R are constants. The dimensions of 'a' are:

(1) [M1L1T-1]

(2) [M1L-5T1]

(3) [M2L5T-1]

- (4) [M1L5T-2]
- 49. Electron volt is a unit of
 - (1) Charge

(2) Potential difference

(3) Energy

- (4) Magnetic Force
- **50.** There are 20 divisions in 4 cm of the main scale. The vernier scale has 10 divisions. The least count of the instrument is
 - (1) 0.05 cm

(2) 0.5 cm

(3) 5.0 cm

(4) 0.005 cm

ASSERTION REASONING

Directions: These questions consist of two statements, each printed as Assertion and Reason. While answering these questions, you are required to choose any one of the following four responses.

- (a) If both Assertion and Reason are correct and the Reason is a correct explanation of the Assertion.
- (b) If both Assertion and Reason are correct but Reason is not a correct explanation of the Assertion.
- (c) If the Assertion is correct but Reason is incorrect.
- (d) If both the Assertion and Reason are incorrect.

Q1 Assertion: When we change the unit of measurement of a quantity, its numerical value changes.

Reason: Smaller the unit of measurement smaller is its numerical value.

Q2 Assertion: Parallax method cannot be used for measuring distances of stars more than 100 light years away.

Reason: Because parallax angle reduces so much that it cannot be measured accurately.

Q3 Assertion: Number of significant figures in 0.005 is one and that in 0.500 is three. Reason: This is because zeros are not significant.

Q4 Assertion: Out of three measurements l=0.7m, l=0.70 m and l=0.700m is most accurate. Reason: In every measurement, only the last significant digit is not accurately known.

Q5 Assertion: Nowadays a standard meter is defined in terms of wavelength of light. Reason: light has no relation with length.

Q6 Assertion: In y= A $\sin(\omega t - kx)$, $(\omega t - kx)$ is dimensionless. Reason: Because dimension of $\omega = [M^0L^0T]$.

Q7 Assertion: The Time Period of pendulum is given by $T = 2\pi\sqrt{l/g}$.

Reason: According to principle of homogeneity of dimensions, only that formula is correct in which dimensions of LHS is equal to dimensions of RHS.

Q8 Assertion: The graph between P and Q is straight line, when P/Q is constant. Reason: The straight line graph means that P proportional to Q or P is equal to constant multiplied by Q.

Q9 Assertion: Radian is the unit of plane angle.

Reason: One radian is the angle subtended at the centre of circle by an arc equal in length to the radius of circle.

Q10 Assertion: A.U. is much bigger than A°.

Reason: A.U. stands for astronomical unit and A° stands for angstrom.

Q11 Assertion: Surface tension and surface energy have the same dimensions.

Reason: Because both have the same S.I. unit.

Q12 Assertion: In the relation $f=1/21\sqrt{T/m}$, where symbols have standard meaning, m represent linear mass density.

Reason: The frequency has the dimensions of inverse of time.

Q13 Assertion: The dimensions of a/b in the equation $P=a-t^2/bx$, where P is pressure, x is distance and t is time, are MT^{-2} .

Reason: By Principle of homogeneity the dimensions of LHS is equal to dimensions of RHS.

Q14 Assertion: If radius of sphere is (5.3 ± 0.1) cm. Then relative error in its volume will be 0.3/5.3

Reason: The formula for relative error in error in sum /difference of (a±b) is given by $\Delta x/x = \Delta a/a \pm \Delta b/b$.

Q15 Assertion: The pressure on a square plate is measured by measuring the force on the plate and length of two sides of the plate. If the maximum error in the measurement of force and length are respectively 4% and 2%, The maximum error in the measurement of pressure is 6%. Reason: The maximum percentage error is always algebraic some of two percentage errors.

Q16 Assertion: Light year and year, both measure time.

Reason: Because light year is the time that light takes to reach the earth from sun.

Q17 Assertion: The reliable digit plus the first uncertain digit are known as significant figures. Reason: If 97.52 is divided by 2.54, the correct result in terms of significant figures is 38.4.

Q18 Assertion: Reynolds number and coefficient of friction have same dimensions. Reason: Dimensional constants are the numbers having no dimensions.

Q19 Assertion: If L=2.331cm, B=2.1cm, then L+B=4.4 cm.

Reason: The least number of significant figures in any number of problem determines the number of significant figures in the answer of addition or subtraction.

Q20 Assertion: Accuracy of measurement is determined by percentage error.

Reason: The accuracy of measurement is also determined by the number of significant figures. Larger the number of significant figures, more accurate is the measurement.

CASE BASED QUESTIONS

QUES A: System of units: A system of units is a collection of units in which certain units are chosen as fundamental and all others are derived from them. This system is also called an absolute system of units. Some common systems in use are:

- **c.g.s system:** The unit of length is centimetre, mass is gram, time is secong.
- m.k.s system: The unit of length is metre, mass is kilogram, time is second.
- **f.p.s system:** The unit of length is foot, mass is pound, time is second.
- **S.I. system:** In 1960, 11th General Conference of Weights and Measures introduced SI system. It has 7 fundamental units (Unit of length is metre, mass is kilogram, Time is second, Temperature is Kelvin, Electric current is Ampere, Luminous intensity is Candela, Amount of substance is mol) and two supplementary units (Unit of plane angle is radian, solid angle is steradian)

A1: Which of the following is not the name of physical quantity?

(a) Kilogram

(b) Density

(c) Impulse

(d) Energy

A2: The weight of a body is 12g. This statement is not correct because

- (a) The correct symbol for the unit of weight has not been used.
- (b) The correct symbol for gram is gm.
- (c) The weight should be expressed in kg.
- (d) Of some reason other than those given above.

A3: If the unit of force and length are doubled, the unit of energy will be

(a) 1/2 times

(b) 2 times

(c) 4 times

(d) 1/4 times

A4: The density of a liquid is 13.6 g cm⁻³. Its value ip S.I. is

(a) 13.6 kgm^{-3}

(b) 136 kgm⁻³

(c) 13600 kgm⁻³

(d) 1360 kgm⁻³

A5: 1Kg-wt in gravitational units equals to

(a) 5.4 N in SI system

(b) 4.5 N in SI system

(c) 9.8 N in SI system

(d)8.9 N in SI system

Ques B: Dimensions: The dimensions of a physical quantity are the powers to which the base quantities are raised to represent that quantity and expressed by putting square brackets []. The Dimensional formula tells the fundamental factors on which unit depend. The dimensional equation have 3 important applications:

(i) To check the correctness of a physical equation.

| | (ii) To derive the relation between different physical quantities.(iii) To change from one system of units to another. | | | | | | |
|-----|---|--------------|----------------|------------------------|---|-----------------------|-----------|
| | Principle of homogeneity of dimensions states that dimensions of fundamental quantities of both sided of a physical relation must be same. | | | | | | ities on |
| | B1: Give that the displacement of a particle is given by $x = A^2 \sin^2 kt$, where t denotes the time. The unit of k is | | | | | | |
| | (a) radi | | | (b) n (d) so | netre econd | | |
| | B2: T l | | onal formula | • | mentum is same a lank's constant | s that for: | |
| | (c) grav | vitational c | constant | (d) in | mpulse | | |
| | B3: Ch | ecking the | correctness | of physical equa | tions using the m | ethods of dimensions | is based |
| | (a) Equality of frame of reference(b) The type of system of units(c) The method of measurement(d) Principle of homogeneity of dimensions. | | | | | | |
| | B4: Di | mensions o | cannot be us | ed to | | | |
| | (a) To check dimensional correctness of a formula.(b) Convert units(c) Find value of constant of proportionality in an equation.(d) Deduce a relation among physical quantities. | | | | | | |
| | B5: Tw | o physica | l quantities v | whose dimension | s are not same, ca | annot be: | |
| | (a) Mu | ltiplied wi | th each othe | r | (b) Divided | | |
| | (c) Add | ded or subt | tracted in sai | me expression | (d) added | | |
| Qu | es C: Tl | ne Van-dei | Waals equa | ation is $(P + a/V^2)$ | ²) (V-b)= RT | | |
| | | - | | | he temperature of er walls constants | the given sample of s | gas. R is |
| Q.0 | C1 The | dimension | al formula fo | or b is same as th | at for | | |
| | (A) | P | (B) V | (C) PV ² | (D) RT | , | |

| Q.C2 The dimensional formula for a is same as that for | | | | | | | | |
|--|--|-------------------------|---------------------------------------|--|--|--|--|--|
| (A) V^2 | (B) P | (C) PV ² | (D) RT | | | | | |
| Q.C3Which of the fol | lowing does no | ot possess the same dir | mensional formula as that for RT? | | | | | |
| (A) PV | (B) Pb | (C) a/V^2 | (D) ab/V^2 | | | | | |
| Q.C4The dimensional | formula for ab | o/RT is | | | | | | |
| (A) ML5T-2 | (A) ML^5T^{-2} (B) $M^0L^3T^0$ (C) $ML^{-1}T^{-2}$ (D) $M^0L^6T^0$ | | | | | | | |
| Q.C5The dimensional | formula of RT | is same as that of | | | | | | |
| (A) Energy | (B) Force | (C) Specific heat | (D) Latent heat | | | | | |
| Ques D: Significant figures in the measured value of a physical quantity tell the number of digits in which we have confidence .Larger the number of significant figures obtained in a measurement , greater is the accuracy of measurement and vice — versa . In addition or subtraction, the number of decimal places in the result should equal the smallest number of decimal places in any term in the operation . In multiplication and division, the number of significant figures in the product or in the quotient is the same as the smallest number of significant figures in any of the factors. With the help of above comprehension, choose the most appropriate alternative for each of the | | | | | | | | |
| following questions: | | | | | | | | |
| D1. The area enclosed is | by a circle of | diameter 1.06 m with | correct number of significant figures | | | | | |
| (a) $0.88m^2$ | | (c) $1.88m^2$ | | | | | | |
| $(b)0.883m^2$ | | (d) 0.882026r | n^2 | | | | | |
| D2. The circumference figures is | e of the circle of | of diameter 1.06 m wit | h correct number of significant | | | | | |
| (a) 3.33m | | (c) 3.3m | | | | | | |
| (b)3.33142m | | (d) 3m | | | | | | |
| D3. Subtract 2.6x 10 ⁴ | from 3.9x 10 ⁵ | with due regard to sign | nificant figures. | | | | | |
| (a) 3.64×10^5 | | (c) 3.6×10^5 | | | | | | |

(b) 3.7×10^5 (d) 3.65×10^6 D4. Add 3.8×10^{-6} to 4.2×10^{-5} with due regard to significant figures. (a) 4.6×10^{-5} (c) 4.58×10^{-5} (b) 4.6×10^{-6} (d) 4.580×10^{-5}

D5. Two gold pieces each of mass 0.035g are placed in a box with gold piece is

(a) 2.3g (c) 2.37g

(d) 2.370g

(b) 2.4g

ANSWERS OF MULTICHOICE QUESTIONS:

| 1. (3) | 2. (4) | 3. (2) | 4. (2) | 5. (3) | 6. (4) | 7. (2) | 8. (1) | 9. (1) | 10. (3) |
|---------|---------|---------|---------|---------|---------|---------|---------|---------|---------|
| 11. (1) | 12. (2) | 13. (2) | 14. (1) | 15. (2) | 16. (2) | 17. (4) | 18. (4) | 19. (3) | 20. (2) |
| 21. (1) | 22. (2) | 23. (1) | 24. (2) | 25. (3) | 26. (4) | 27. (1) | 28. (2) | 29. (2) | 30. (4) |
| 31. (4) | 32. (3) | 33. (1) | 34. (3) | 35. (4) | 36. (1) | 37. (2) | 38. (3) | 39. (3) | 40. (3) |
| 41. (2) | 42. (2) | 43. (2) | 44. (3) | 45. (4) | 46. (3) | 47. (2) | 48. (4) | 49. (3) | 50. (4) |

ANSWERS OF ASSERTION & REASONING

| Ans1. C | Ans2. A | Ans3. C | Ans4. B | Ans5. C |
|---------------------------------|----------|----------|----------|----------|
| Ans6. C | Ans7. B | Ans8. A | Ans9. B | Ans10. B |
| Ans11. C | Ans12. A | Ans13. B | Ans14. A | Ans15. D |
| Ans16. D | Ans17. B | Ans18. C | Ans19. B | Ans20. B |
| ANSWERS OF CASE BASED QUESTIONS | | | | |
| A1: (a), | A2: (a), | A3: (c), | A4: (a), | A5: (c) |
| B1: (c), | B2: (b), | B3: (d), | B4: (d), | B5: (c) |
| C1 (b), | C2 (c), | C3 (c), | C4 (d), | C5 (a) |
| D1.(b), | D2. (a), | D3. (c), | D4.(a), | D5. (b) |